

# Comparative effectiveness of ACE inhibitors vs. angiotensin receptor blockers to prevent or delay dementia: a target trial emulation using US electronic health records

SESSTIM Webinar  
Marie-Laure Charpignon  
November 21, 2025

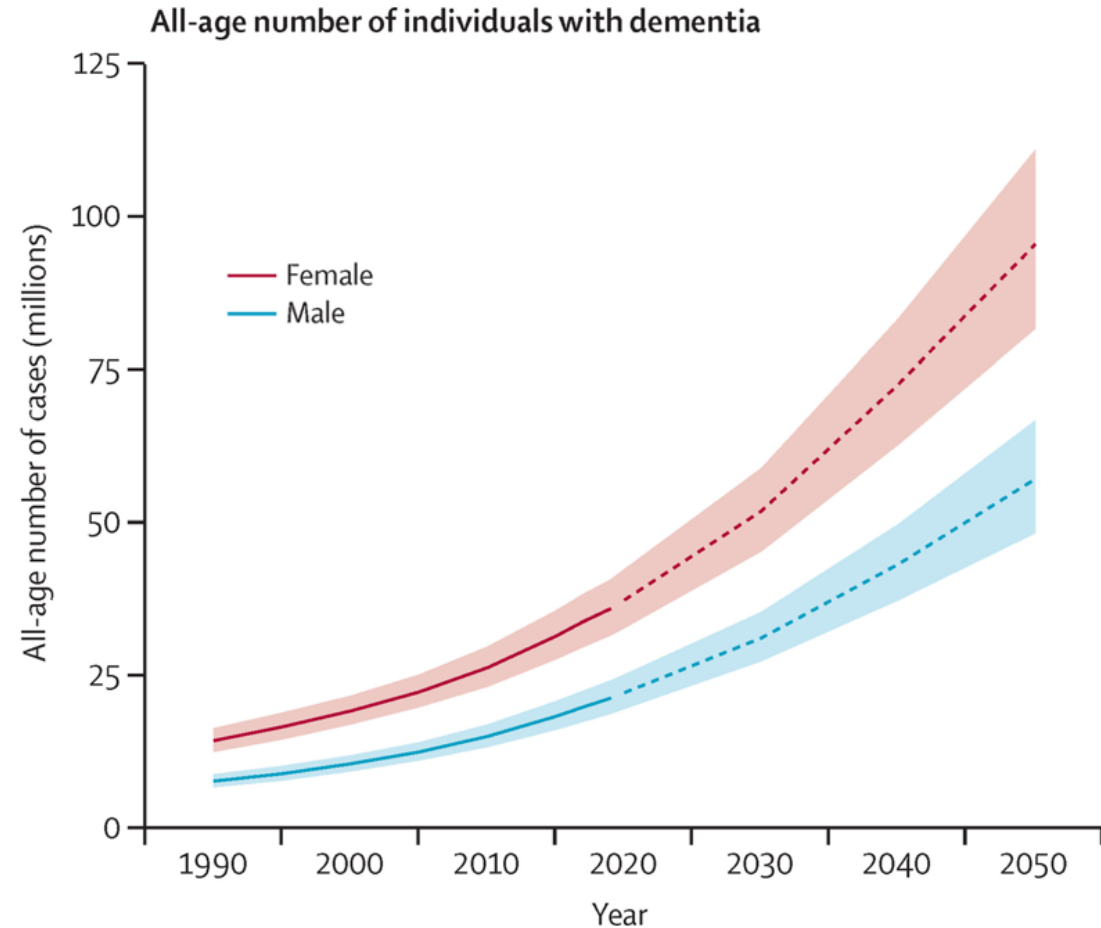
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ERIC AND WENDY  
SCHMIDT CENTER  
AT BROAD INSTITUTE

# Motivation: the growing burden of dementia

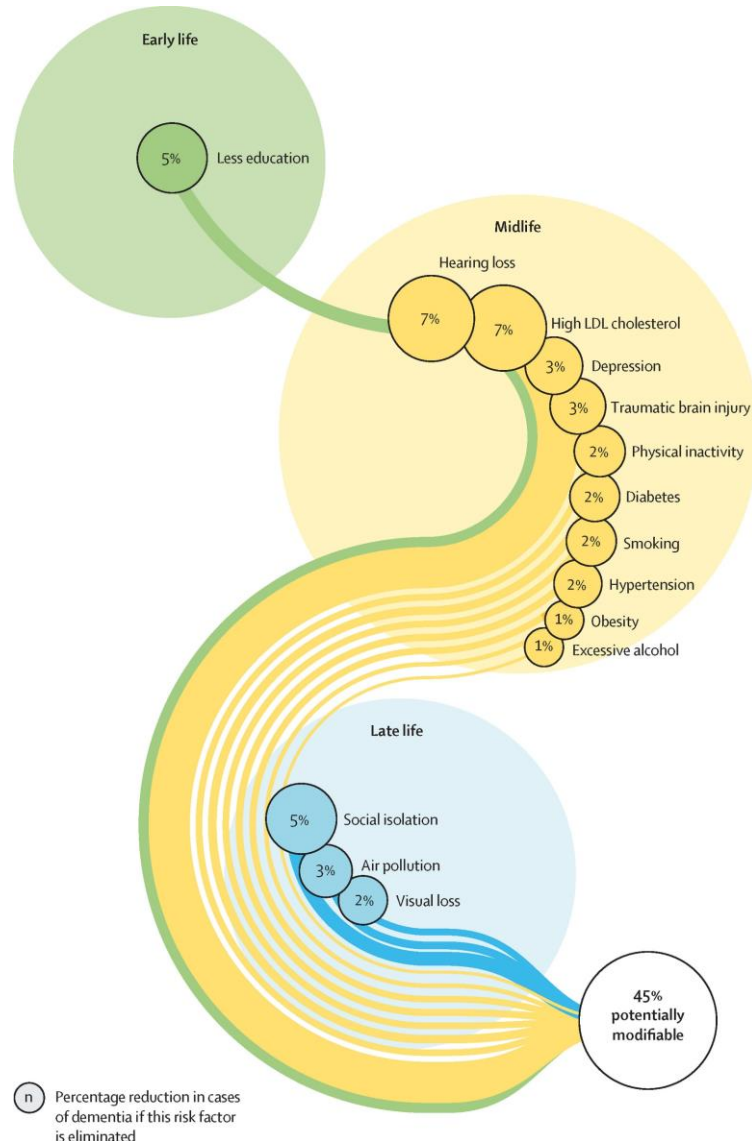
- 55 million people affected by dementia globally.
- Expected increase of 1.4-fold by 2030 and 2.5-fold by 2050.
- Modest cognitive benefits of Leqembi, but serious risks (e.g., >10% brain edema or hemorrhage).



Sources: [2022 Alzheimer's disease facts and figures](#),  
[Global Burden of Disease Study 2019](#),  
[van Dyck et al. \(NEJM, 2022\)](#)

Leqembi targets primarily patients with early-stage Alzheimer's disease, but what about delaying the onset of dementia?

# Hypertension: an opportunity for drug repurposing against dementia



**45% of dementia risk** attributable to **modifiable risk factors**.

**For 5 out of 14** modifiable risk factors, **pharmaceutical interventions** are available:

1. Hypertension (2%)
2. High LDL cholesterol (7%)
3. Depression (3%)
4. Type 2 diabetes (2%)
5. Obesity (1%)

## Hypertension

- a. Affects 45% of the US adult population aged 18+
- b. Associated with a 42% higher risk of dementia if untreated and 13% if treated












Could certain antihypertensives  
have the added benefit of  
delaying the onset of dementia?

RESEARCH ARTICLE

| August 29, 2022 |



# Genetic Evidence for Protective Effects of Angiotensin-Converting Enzyme Against Alzheimer Disease But Not Other Neurodegenerative Diseases in European Populations

David K. Ryan, MBChB (Hons), Ville Karhunen, PhD , Bowen Su, PhD , Matthew Traylor, PhD , Tom G. Richardson, PhD  ,  
Stephen Burgess, PhD  , Ioanna Tzoulaki, PhD  , and Dipender Gill, MD, PhD   | [AUTHORS INFO & AFFILIATIONS](#)

October 2022 issue • 8 (5) • <https://doi.org/10.1212/NXG.000000000200014>

## Step 1

Mine genetic epidemiology studies to identify gene variants related to dementia risk

1. Co-localization analyses identified a gene variant for three traits (chr. 17, *rs4291*).
1. Directionality of the associations:
  - a. Lower ACE expression, lower SBP
  - b. Lower ACE, higher risk of AD
  - c. No association btw predicted SBP and AD risk

## Mendelian randomization of the ACE gene

Association	Directionality	Relation
ACE expression vs SBP	+	↓ ACE ~ ↓ SBP
ACE expression vs AD risk	-	↓ ACE ~ ↑ AD
Predicted SBP vs AD risk		

## Step 1

Mine genetic epidemiology studies to identify gene variants related to dementia risk

1. Co-localization analyses identified a gene variant for three traits (chr. 17, *rs4291*).
2. Directionality of the associations points to a possibly **direct**, rather than **mediated**, link between ACE and AD.

## Mendelian randomization of the ACE gene

Association	Directionality	Relation
ACE expression vs SBP	+	↓ ACE ~ ↓ SBP
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Predicted SBP vs AD risk		



Variant of the ACE gene:  
chr. 17, rs4291

Drug class mimicking the effect  
of this variant: ACE inhibitors

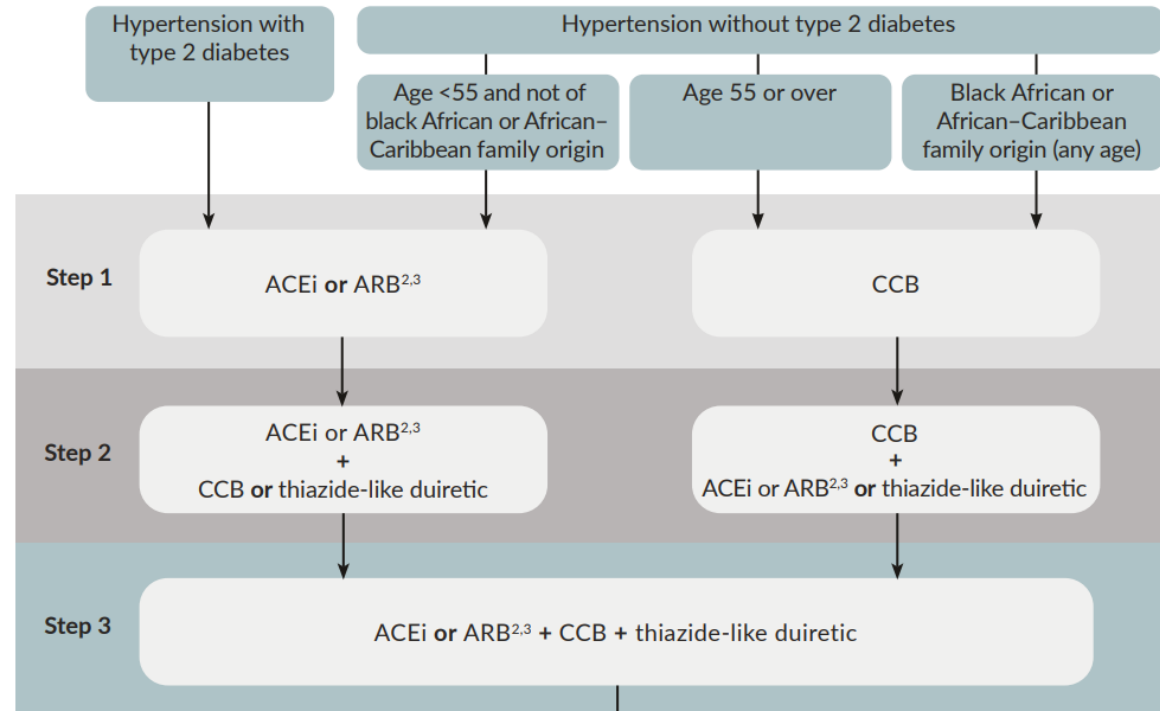
How to emulate a target trial, using medical records, to interrogate the hypothesis that ACEi initiation may have a detrimental effect on dementia?



## Step 2

Derive a relevant, active comparator drug (class) from clinical guidelines

## Choice of antihypertensive drug



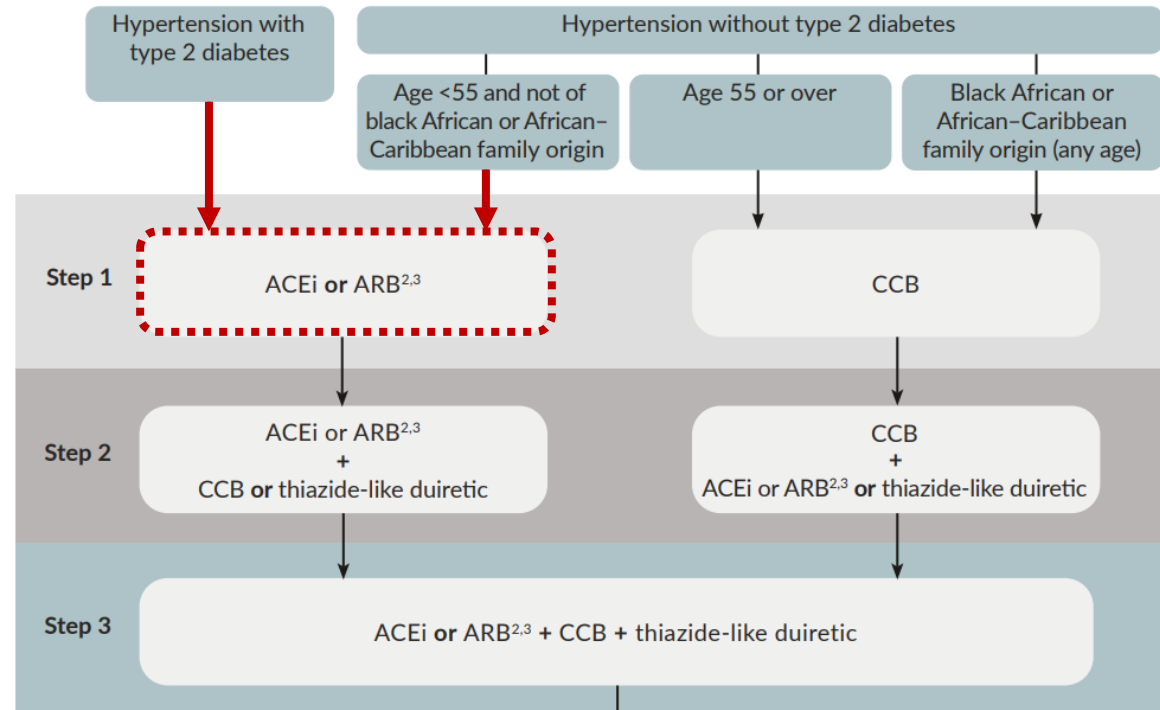
Source: [NICE hypertension guidelines \(2019\)](#)

## Step 2

Derive a relevant, active comparator drug (class) from clinical guidelines

Angiotensin receptor blockers (ARB) appear as a **natural active comparator** for ACE inhibitors.

## Choice of antihypertensive drug



Source: [NICE hypertension guidelines \(2019\)](#)

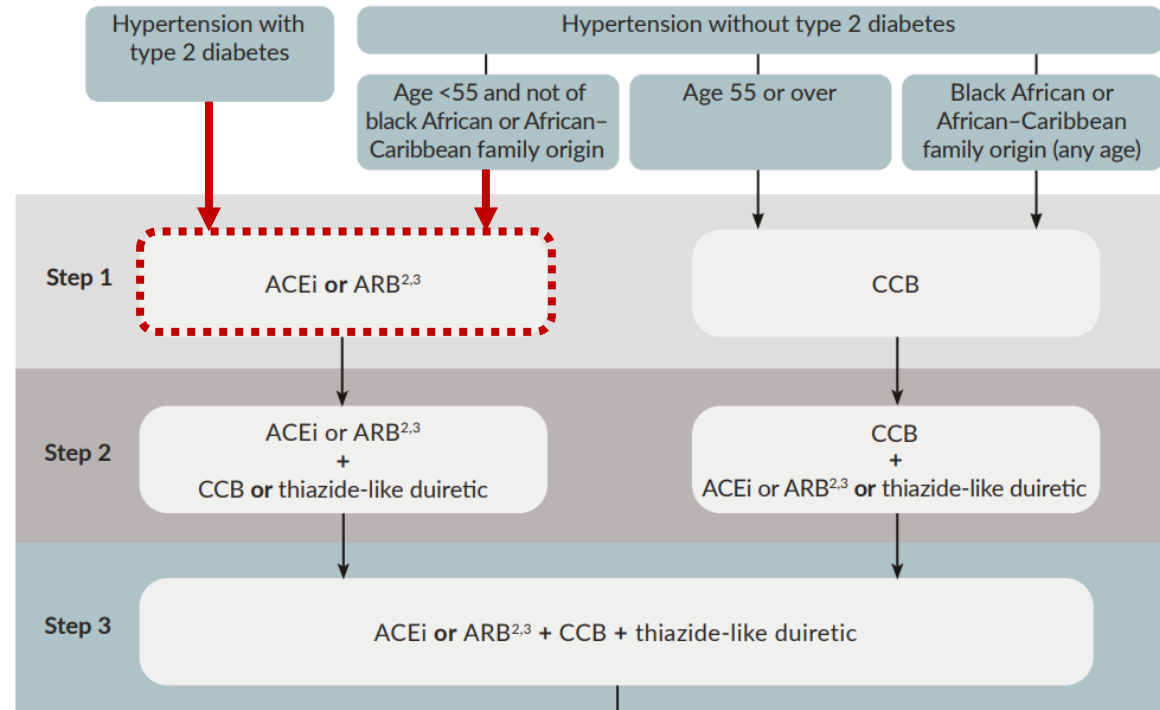
## Step 2

Derive a relevant, active comparator drug (class) from clinical guidelines

Angiotensin receptor blockers (ARB) appear as a **natural active comparator** for ACE inhibitors.

These two drug classes involve distinct mechanisms of action, making their comparison biologically relevant.

## Choice of antihypertensive drug



Source: [NICE hypertension guidelines \(2019\)](#)

### Step 3

Emulate a target trial  
using EHR data

## Causal question of interest

What is the effect of initiating an ACEi rather than an ARB on memory loss, mild cognitive impairment, or dementia among hypertensive adults aged 50 and over?

# ACEi vs. ARB target trial specification & emulation

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**The target trial protocol comprises 7 components:**

1. Eligibility criteria
2. Treatment strategies
3. Treatment assignment
4. Outcome definition
5. Follow-up definition
6. Causal contrasts
7. Statistical analysis

# ACEi vs. ARB target trial specification & emulation

1. Eligibility criteria
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The hypothetical target trial includes  
**6 main inclusion/exclusion criteria:**

1. Age 50 or over.
2. No prior outpatient prescription of any ACEi or ARB.
3. Prior diagnosis of hypertension.
4. No prior diagnosis of dementia in any setting.
5. No prior prescription of any dementia-related drugs in any setting.
6. Prior history of 1+ year within the EHR system.

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# ACEi vs. ARB target trial specification & emulation

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## **Initiation of 1 of the 2 following treatment strategies:**

- Immediate treatment with an ACE inhibitor (ACEi)
- Immediate treatment with an angiotensin receptor blocker (ARB)

# ACEi vs. ARB target trial specification & emulation

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Emulated randomization by balancing baseline confounders via overlap weighting:

- **Sociodemographics:** *age, sex, educational attainment, social vulnerability*
- **Comorbidities:** *prior history of type 2 diabetes, stroke, cardiovascular disease, cancer*
- **Healthcare and temporal factors:** *presence of primary care physician, time since enrollment in EHR system*

# ACEi vs. ARB target trial specification & emulation

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## **Two mutually-exclusive, competing events**

1. Incidence of memory loss, mild cognitive impairment, or dementia.
2. Death prior to such an event.

## **Outcome ascertainment**

1. Diagnosis codes and drug prescriptions.
2. Death information internal to the healthcare system, supplemented by linkage to the national death index and state-level vital records.

# ACEi vs. ARB target trial specification & emulation

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For each patient, the follow-up starts at treatment initiation (a.k.a. baseline or time 0) and **ends at the first of the following dates:**

1. Dementia onset
2. Death prior to dementia
3. Loss to follow-up
4. Administrative end of study

# Five representative patient scenarios



Loss to follow-up



Dementia onset



Death



# Five representative patient scenarios



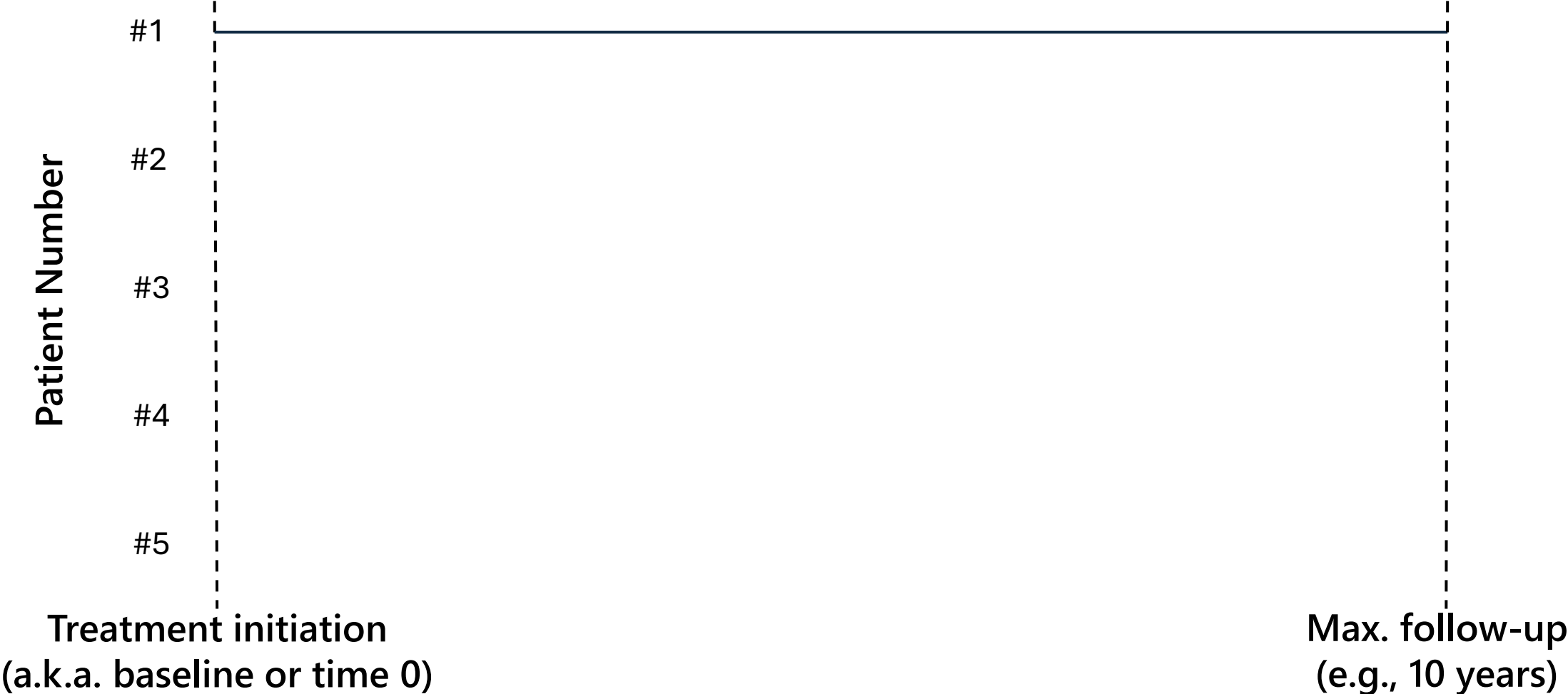
Loss to follow-up



Dementia onset



Death



# Five representative patient scenarios



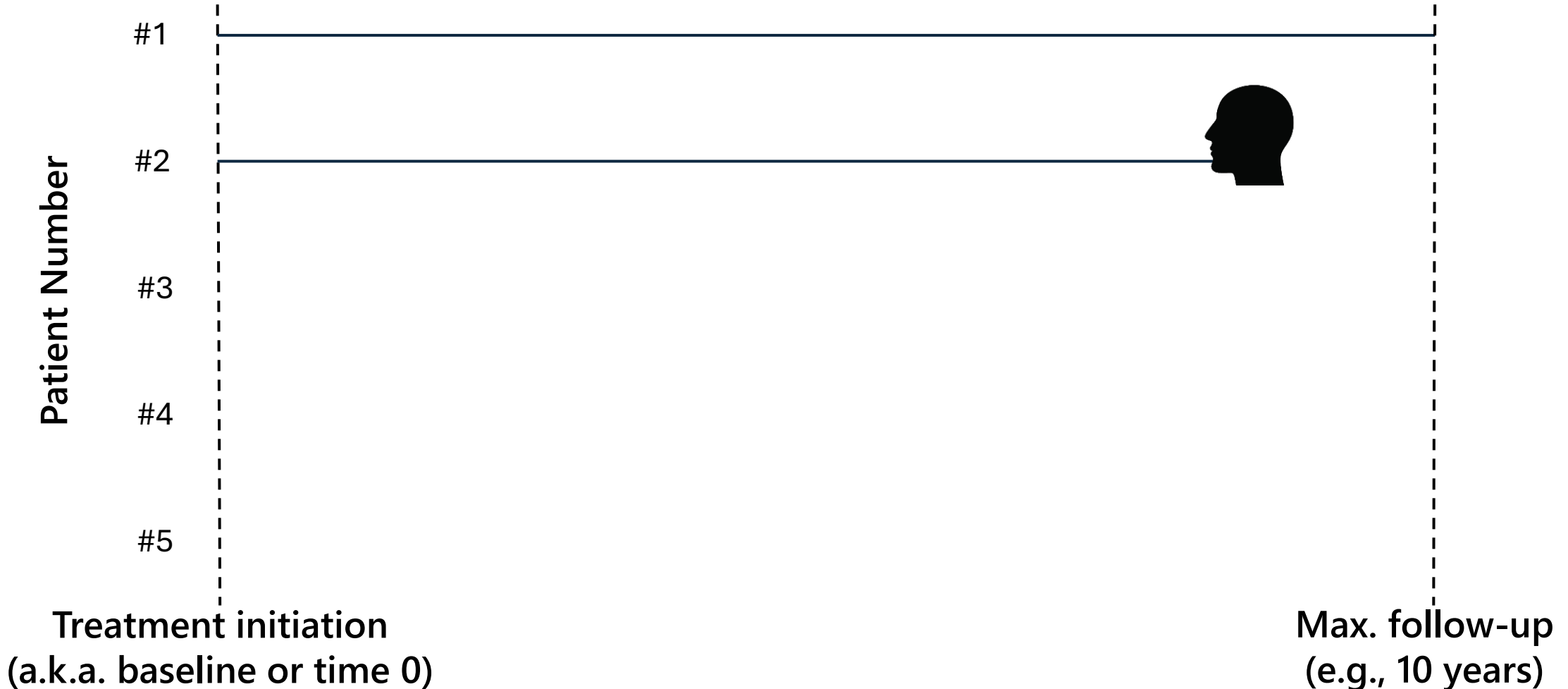
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Dementia onset



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# Five representative patient scenarios



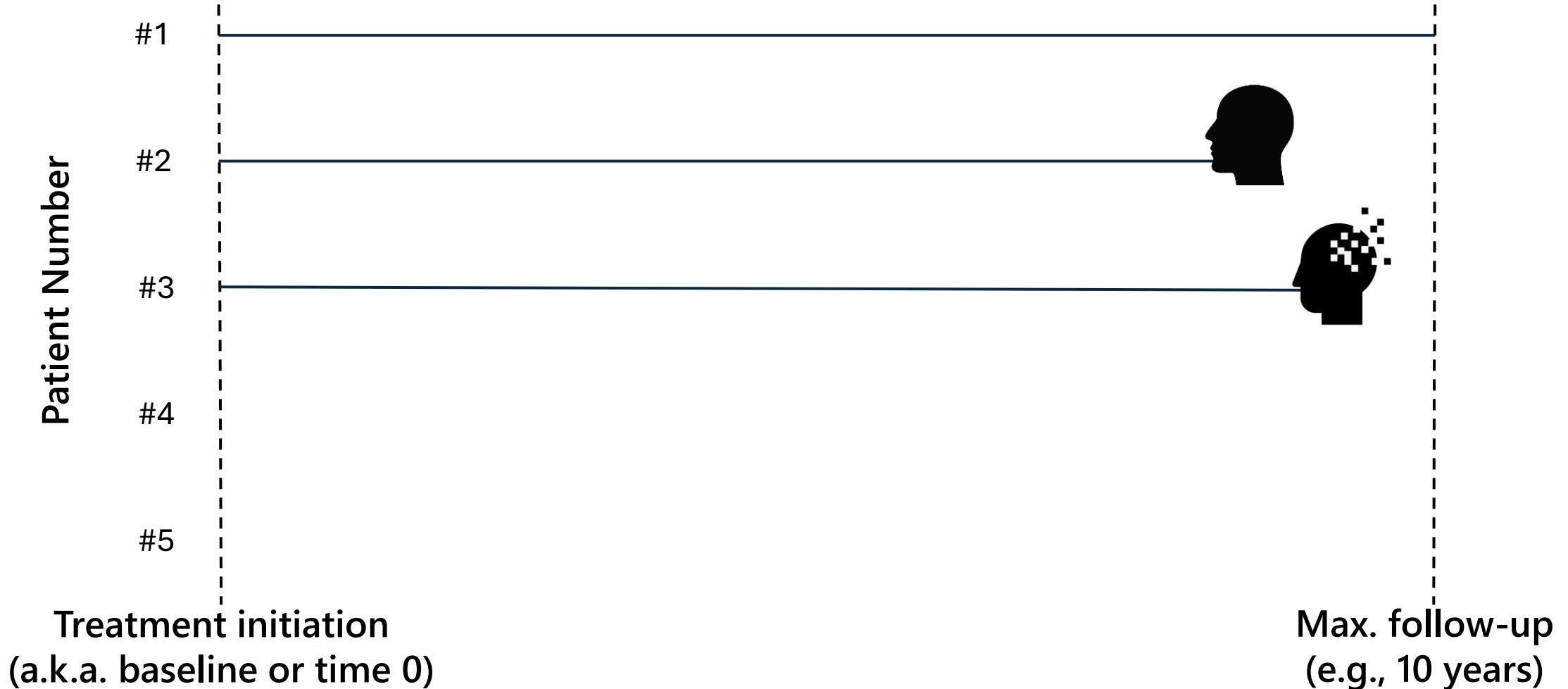
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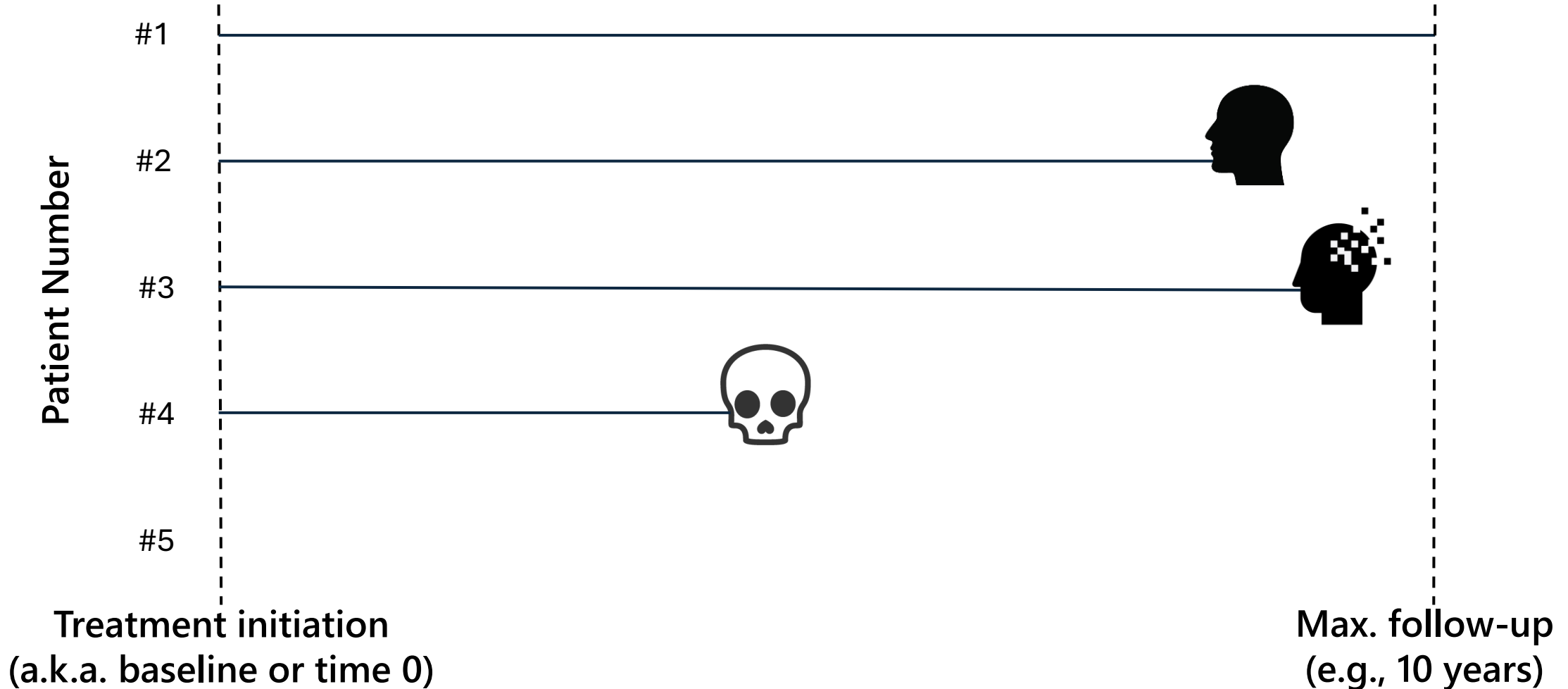
Loss to follow-up



Dementia onset



Death



# Five representative patient scenarios



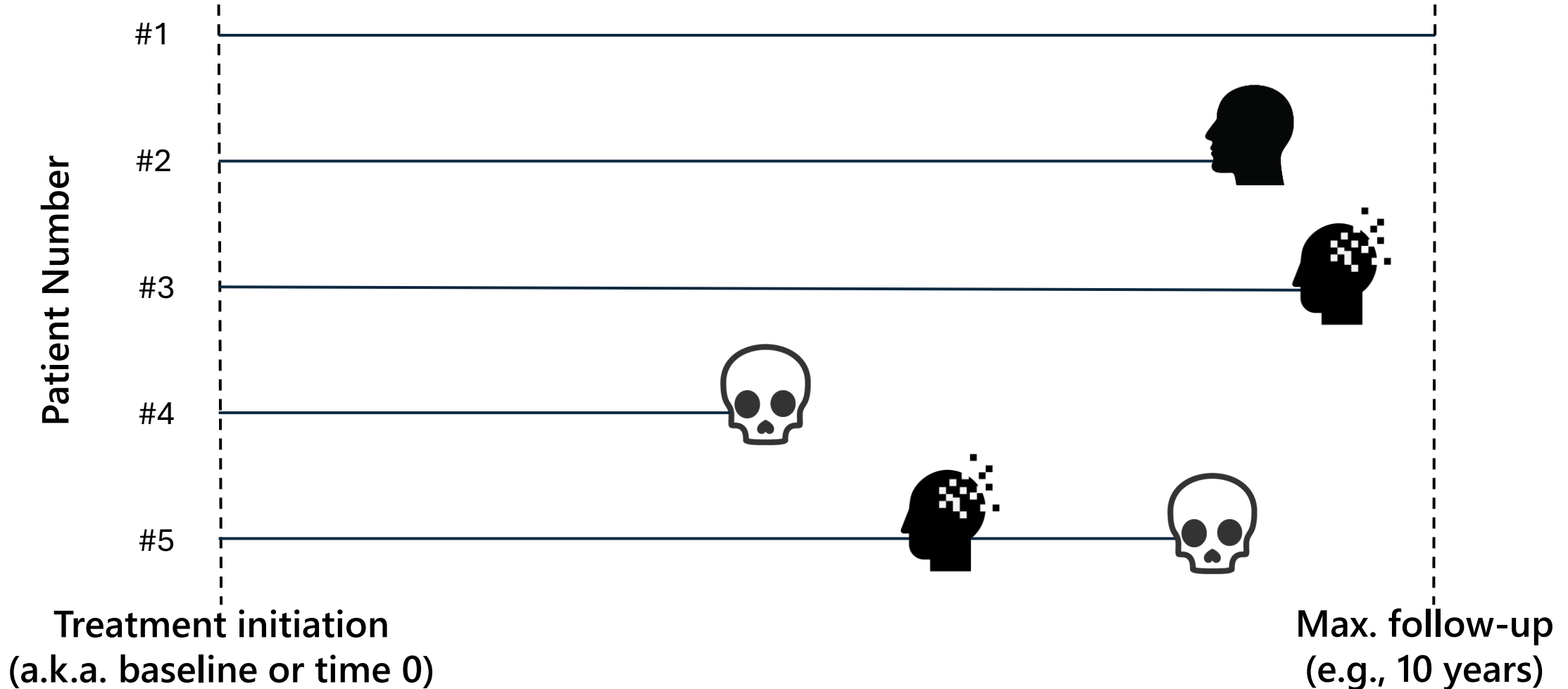
Loss to follow-up



Dementia onset



Death



# Five representative patient scenarios



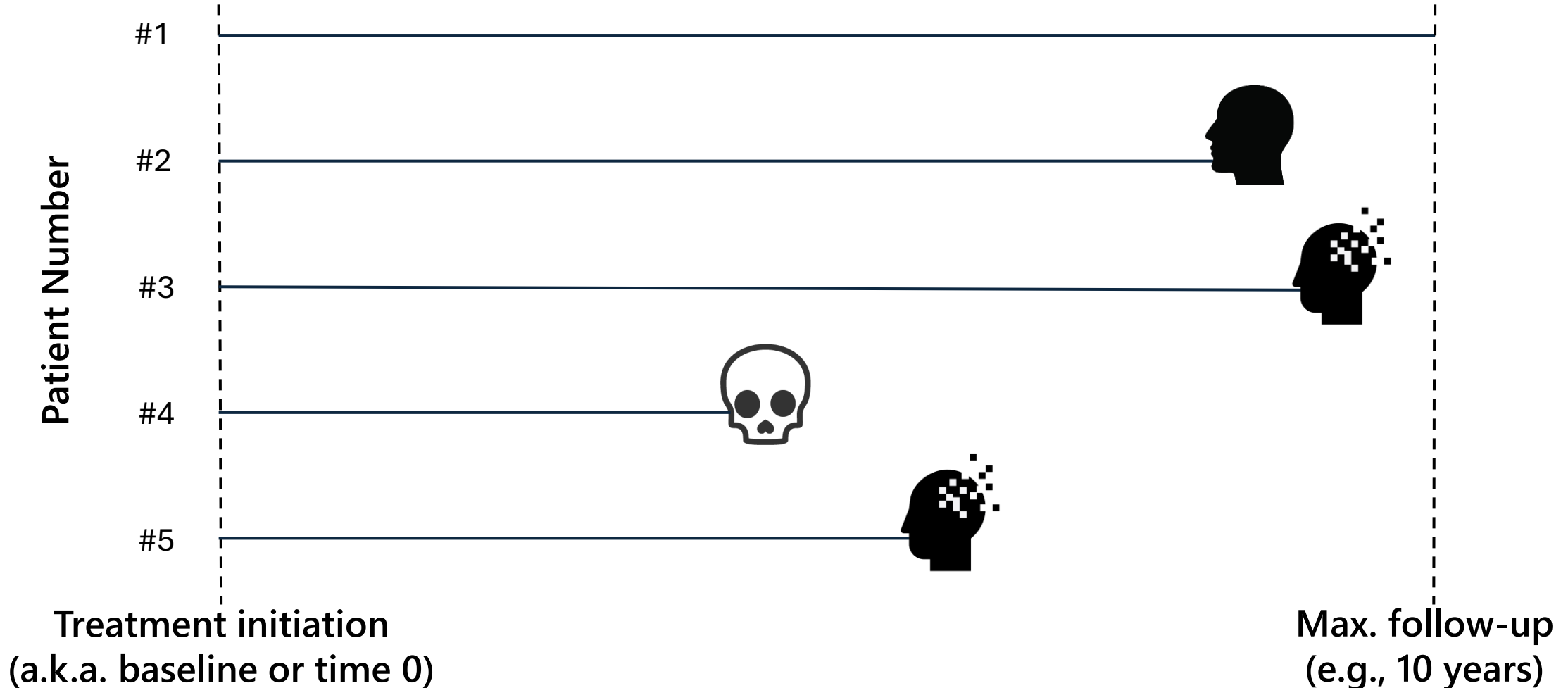
Loss to follow-up



Dementia onset

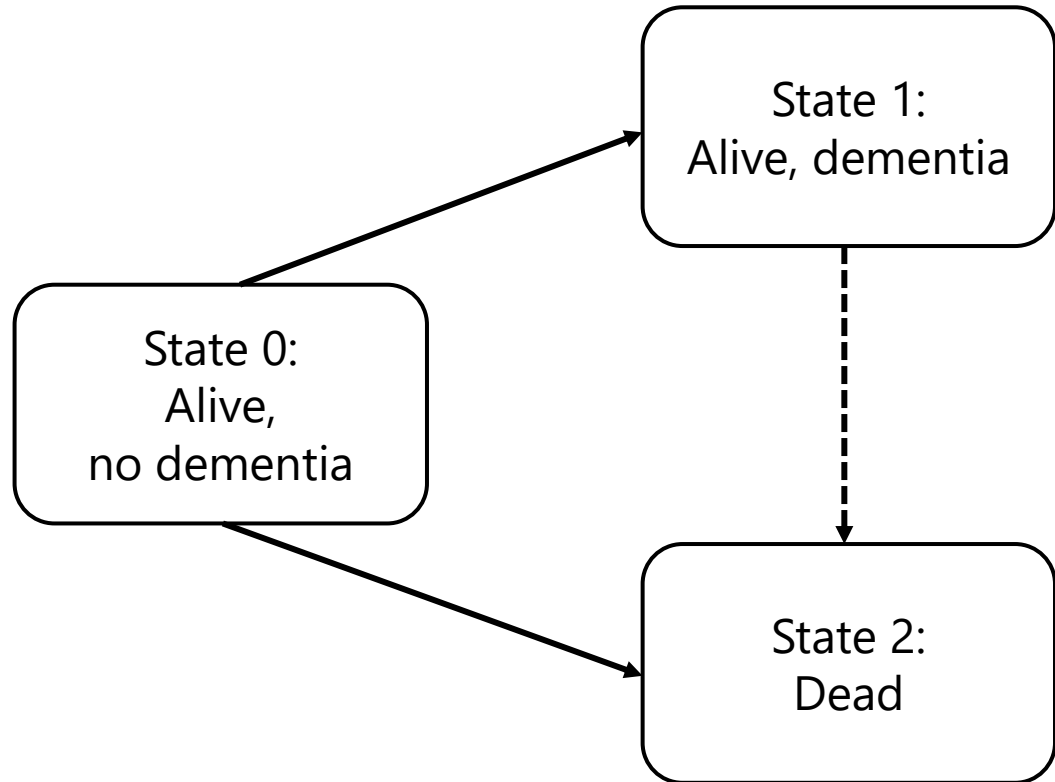


Death



How to capture these different scenarios statistically?

# Multi-state model representation



## **At treatment initiation**

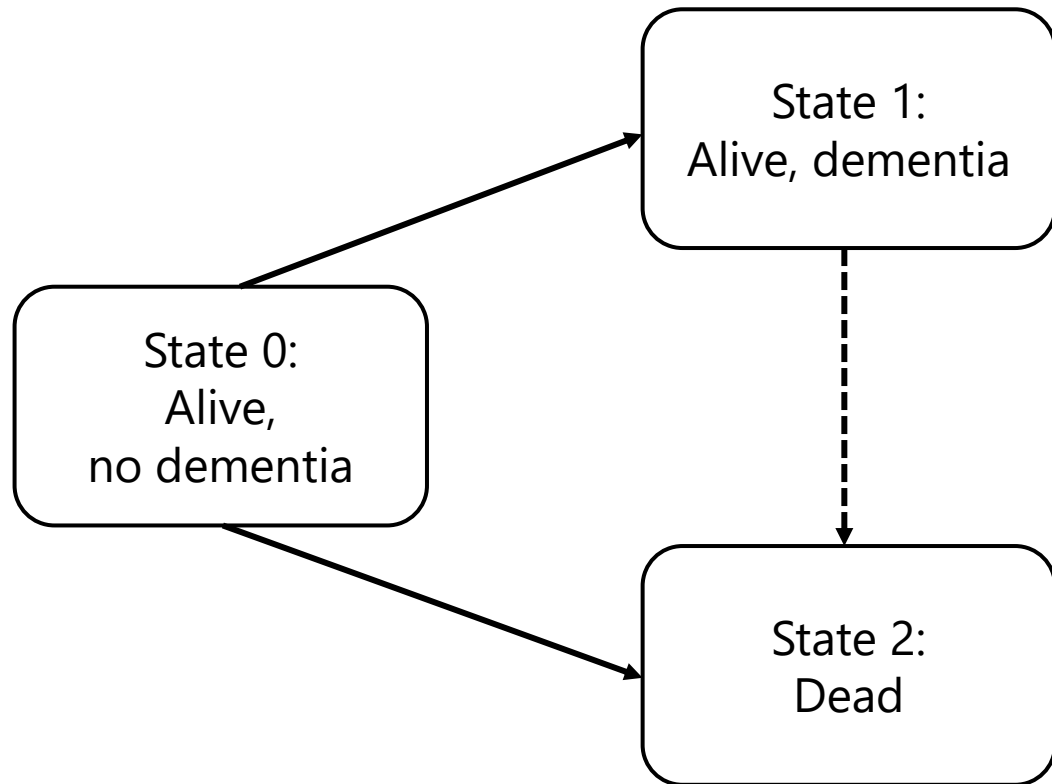
All patients are in state 0.

## **From treatment initiation onwards**

Patients can either go through state 1 before ultimately reaching state 2 or move directly to state 2.

**Illness-death model, with 3 states**

# Multi-state model representation

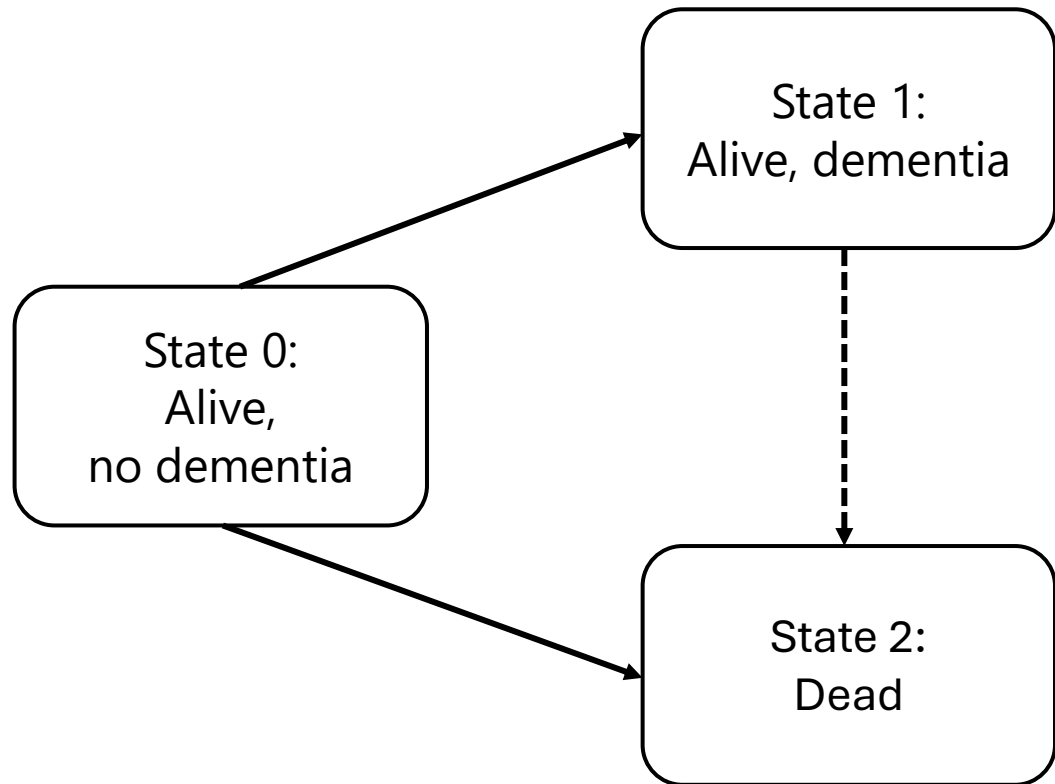


**Illness-death model, with 3 states**

## **At treatment initiation**

1. Which path the patient will take is unknown.
2. Two latent time-to-event variables can be defined.

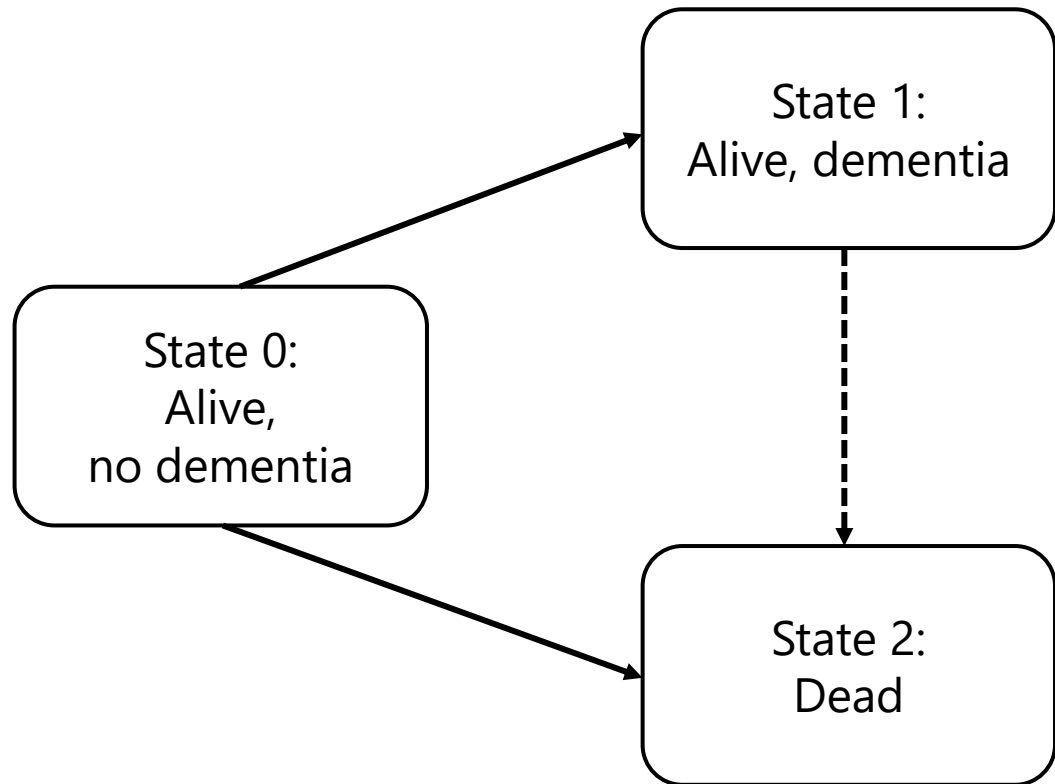
# Multi-state model representation



**Random variable  $U_{0 \rightarrow 1}$**   
Time from treatment initiation until reaching state 1

**Illness-death model, with 3 states**

# Multi-state model representation

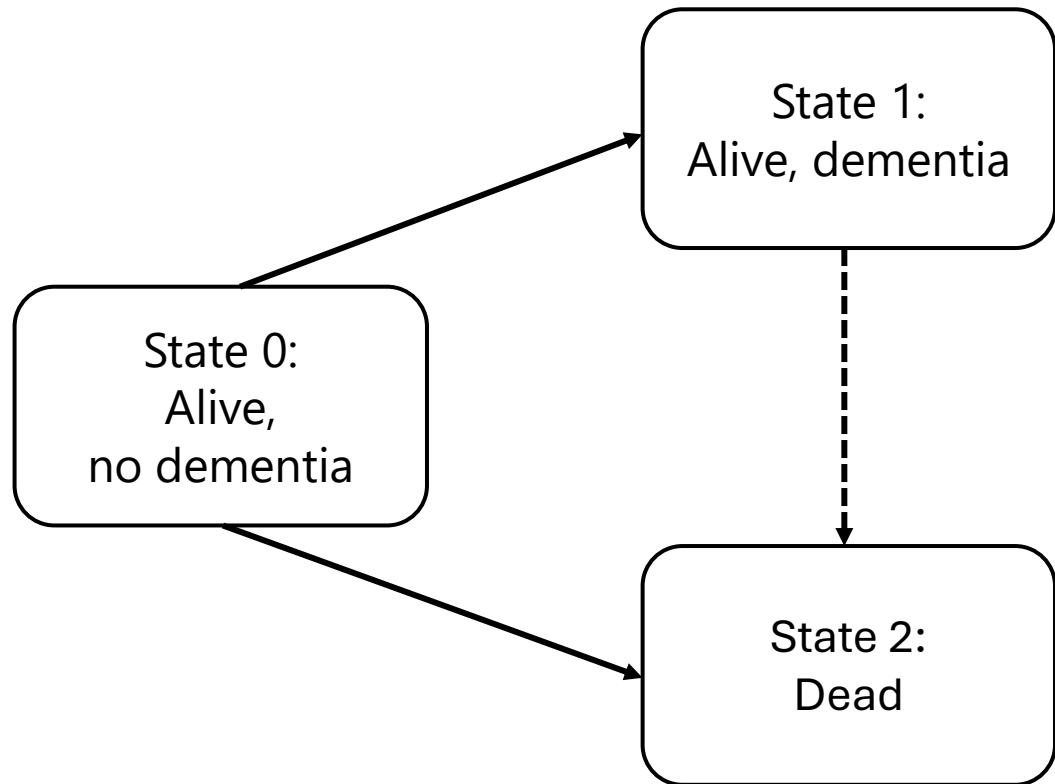


**Random variable  $U_{0 \rightarrow 1}$**   
Time from treatment initiation until reaching state 1

**Random variable  $U_{0 \rightarrow 2}$**   
Time from treatment initiation until reaching state 2 without going through state 1

**Illness-death model, with 3 states**

# Multi-state model representation



**Illness-death model, with 3 states**

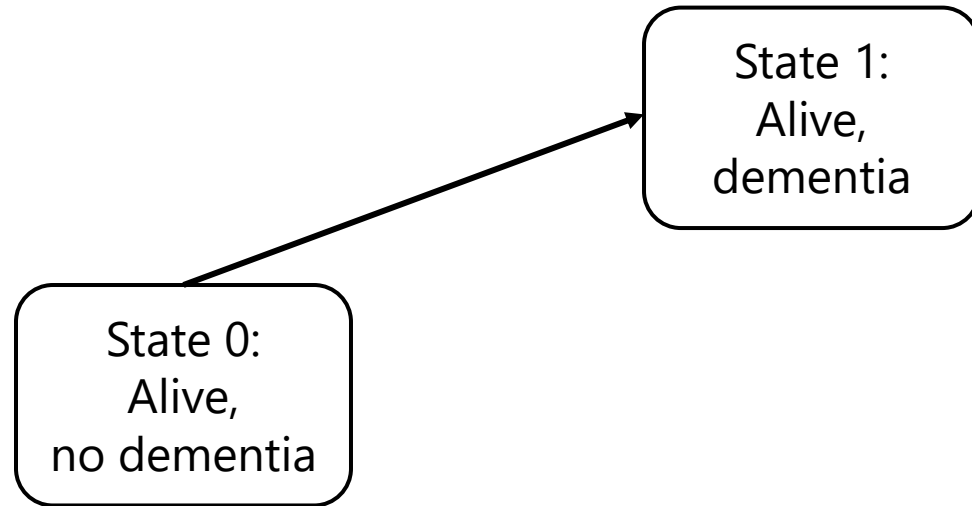
Ultimately, only the minimum of the two time-to-event variables will ever be observed:

$$U = \min(U_{0 \rightarrow 1}, U_{0 \rightarrow 2})$$

The corresponding integer-valued variable  $F \in \{1, 2\}$  indicates the type of event that occurs first.

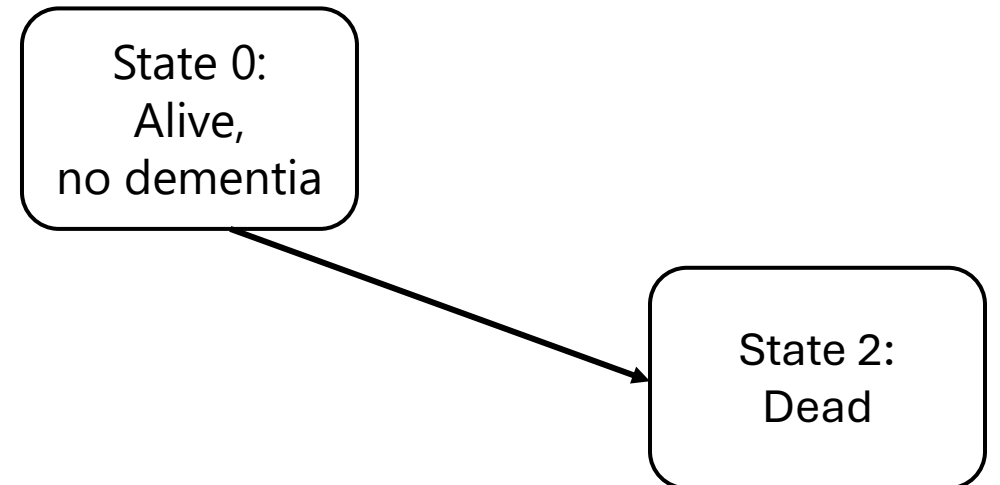
What is the nature of observations  
made in the EHR?

# Observed transitions

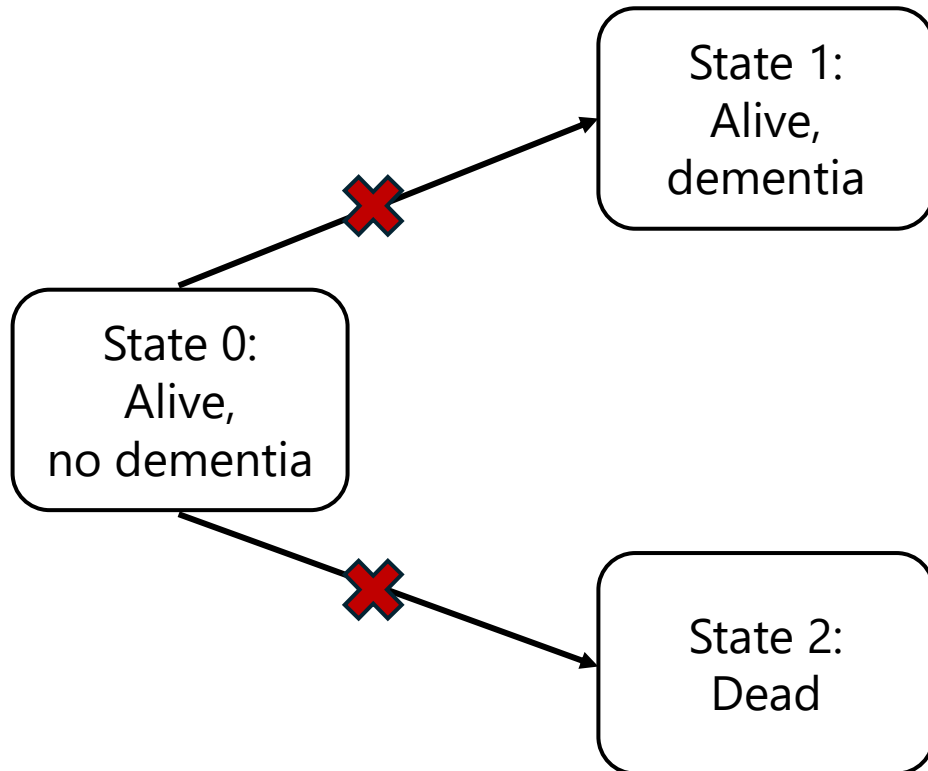


$$U = U_{0 \rightarrow 1}, F = 1$$

$$U = U_{0 \rightarrow 2}, F = 2$$



# No observed transition



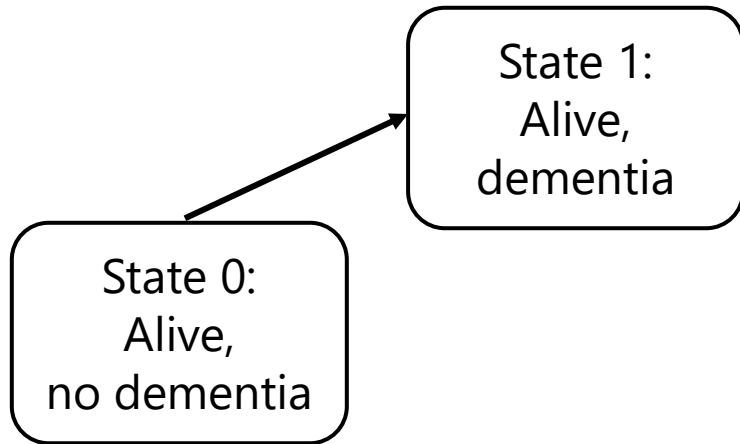
The patient remains in state 0 during follow-up. This scenario corresponds to **right-censoring**.

If the random variable  $C$  represents the censoring time, then the follow-up time  $T$  is defined by:

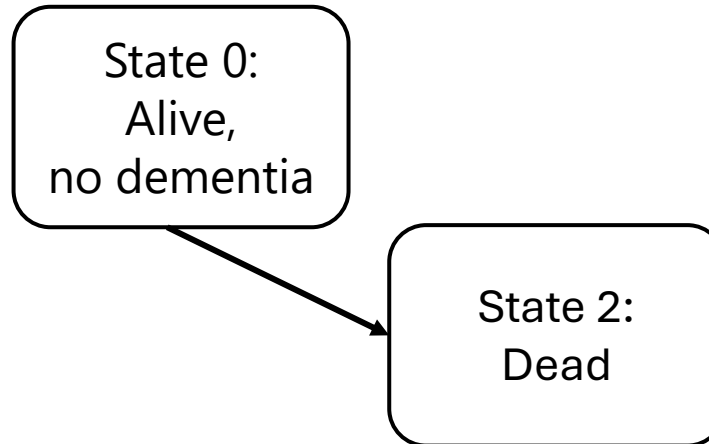
$$T = \min(U, C) = \min(U_{0 \rightarrow 1}, U_{0 \rightarrow 2}, C)$$

The integer-valued variable  $E \in \{0, 1, 2\}$  maps each patient to the corresponding **scenario** (0 for no transition).

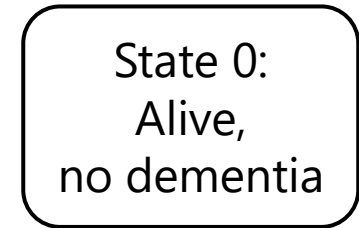
# Summary of notations



$$T = U = U_{0 \rightarrow 1}$$
$$E = F = 1$$



$$T = U = U_{0 \rightarrow 2}$$
$$E = F = 2$$



$$T = C$$
$$E = 0$$

All quantities considered so far are based on observed data!

# Definition of counterfactual worlds

---

To address the causal question, we define **two counterfactual, single worlds** denoted by  $a$ :

$$a = 1$$

*a world in which all patients had received an initial prescription of an ACEi*

$$a = 0$$

*a world in which all patients had received an initial prescription of an ARB*

# Definition of potential outcomes

---

**Counterfactual outcomes  $Y(a)$**  are defined accordingly.

$$Y(a = 1)$$

*outcome had the patient received an initial prescription of an ACEi*

$$Y(a = 0)$$

*outcome had the patient received an initial prescription of an ARB*

What are the potential outcomes of interest  
in our setting?

# Potential outcomes under no right-censoring

---

**Setting 1:** Competing risks, but no right-censoring

**Potential outcomes** are pairs  $(U^a, F^a)$  where:

- The positive real-valued variable  $U^a$  denotes the time to the first of two mutually-exclusive, competing events in counterfactual world  $a$ .
- The integer-valued variable  $F^a \in \{1, 2\}$  indicates the type of event that occurs first in counterfactual world  $a$ .

# Potential outcomes under right-censoring

---

## Setting 2: Competing risks and right-censoring

Potential censoring times need to be accounted for.

**Potential outcomes** are pairs  $(T^a, E^a)$  where:

- The positive real-valued variable  $T^a = \min(U^a, C^a)$  denotes the follow-up time in counterfactual world  $a$ .
- The integer-valued variable  $E^a \in \{0, 1, 2\}$  indicates the scenario corresponding to the end of follow-up in counterfactual world  $a$ .

# ACEi vs. ARB target trial specification & emulation

1. Eligibility criteria
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The causal contrast is defined based on the single-world ( $a = 0$  vs.  $a = 1$ ) causal quantities of interest, i.e., the **cumulative risk  $R$**  of experiencing dementia onset ( $k = 1$ ) or dying before ( $k = 2$ ).

$$\begin{aligned} R^a(t, k) &= P(T^a \leq t, E^a = k) \\ &= E \left[ \int_0^t S^a(s) h_k^a(s) ds \right] \end{aligned}$$

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$$R^a(t, k) = P(T^a \leq t, E^a = k) \\ = E \left[ \int_0^t \mathbf{s}^a(s) h_k^a(s) ds \right]$$

**Survival in single-world  $a$**  at time  $s$   
or probability of being alive and not  
having dementia by that time

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**Cause-specific hazard in single-world  $a$**   
of experiencing event  $k$  at time  $s$

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For each competing event  $k$ , the causal contrast is defined as the **difference in risk**, denoted by  $RD$ , between the two single-worlds ( $a = 0$  vs.  $a = 1$ ).

$$t \mapsto RD(t, k) = R^{a=1}(t, k) - R^{a=0}(t, k)$$

We chose risk differences as the causal contrasts to facilitate clinical interpretability.

In observational data, the treatment and control arms are often not balanced.

How to handle this statistically to estimate the effects of treatment on competing risks?

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  - b. Choice of weights
  - c. Estimation

**H1: Conditional exchangeability**

**H2: Positivity**

**H3: Conditionally independent censoring**

**H4: Stable Unit Treatment Value Assumption (SUTVA)**

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## H1: Conditional exchangeability

The treatment assignment  $A$  is assumed conditionally independent of potential outcomes  $(U^{a=0}, U^{a=1})$ , given baseline covariates  $X$ .

$$A \perp (U^{a=0}, U^{a=1}) \mid X$$

Similarly,  $A$  is assumed conditionally independent of potential censoring times  $(C^{a=0}, C^{a=1})$ , given  $X$ .

$$A \perp (C^{a=0}, C^{a=1}) \mid X$$

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## H2: Positivity

For any set of covariates  $X = x$  present in the population, there is a nonzero probability of being assigned to any arm  $a$ .

$$0 < P(A = a \mid X = x) < 1$$

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## Use of overlap weights to emulate randomization

Given a set of covariates  $X = x$ , the corresponding overlap weight  $w(x)$  is defined as follows:

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—————→  $x$  (e.g., age)

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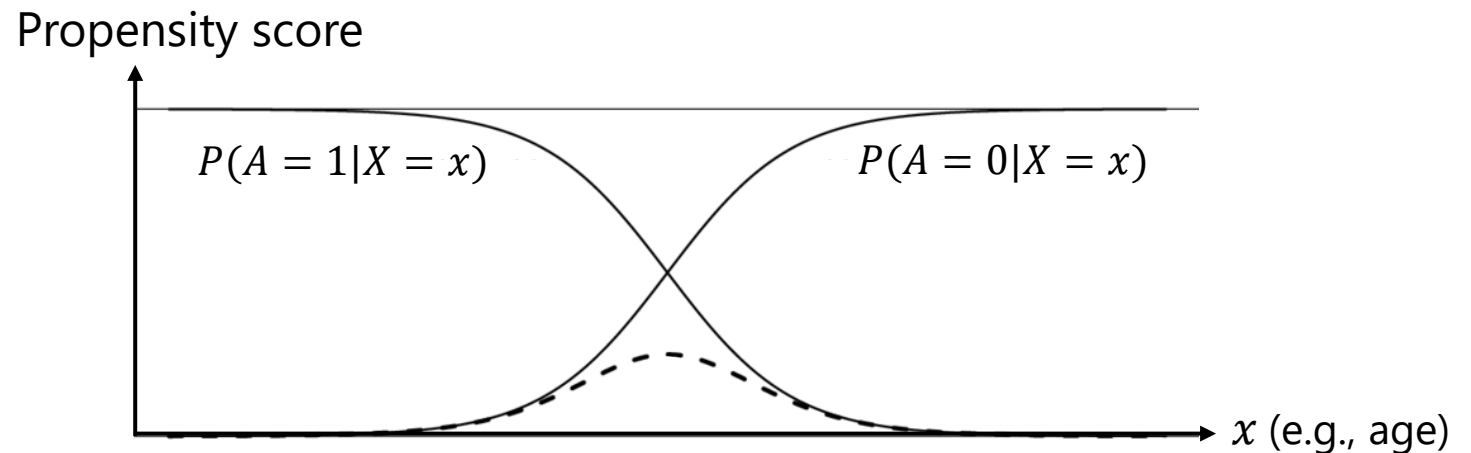


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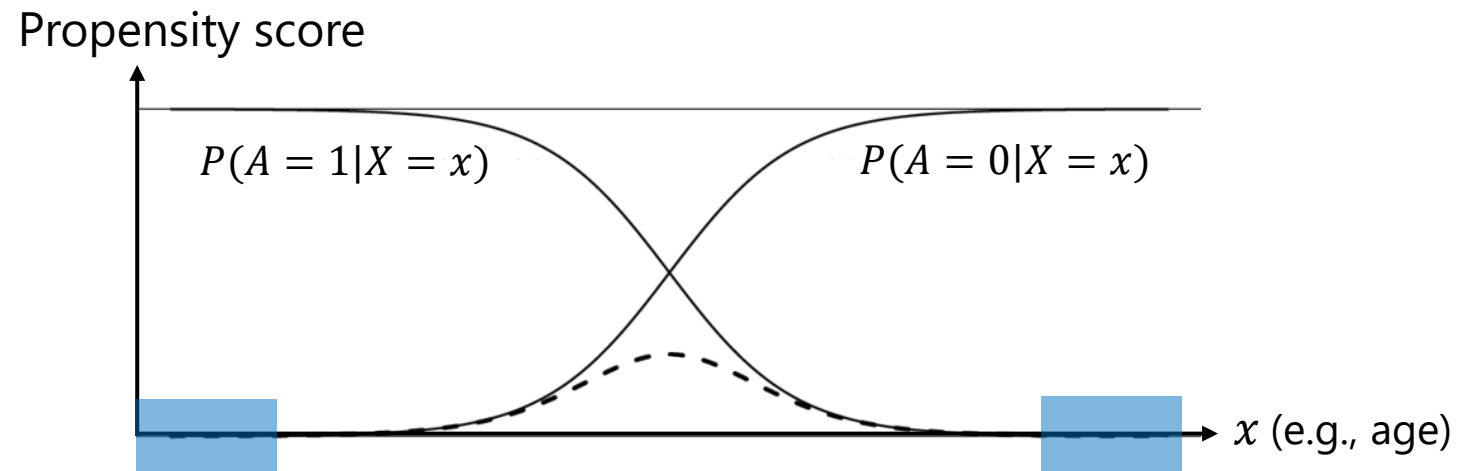


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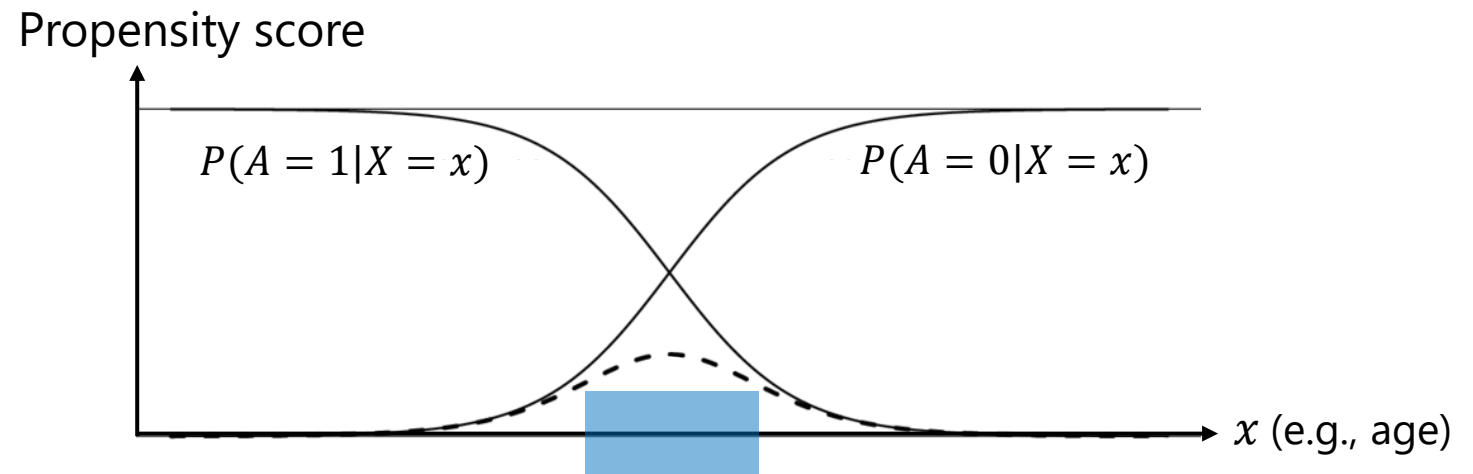


# ACEi vs. ARB target trial specification & emulation

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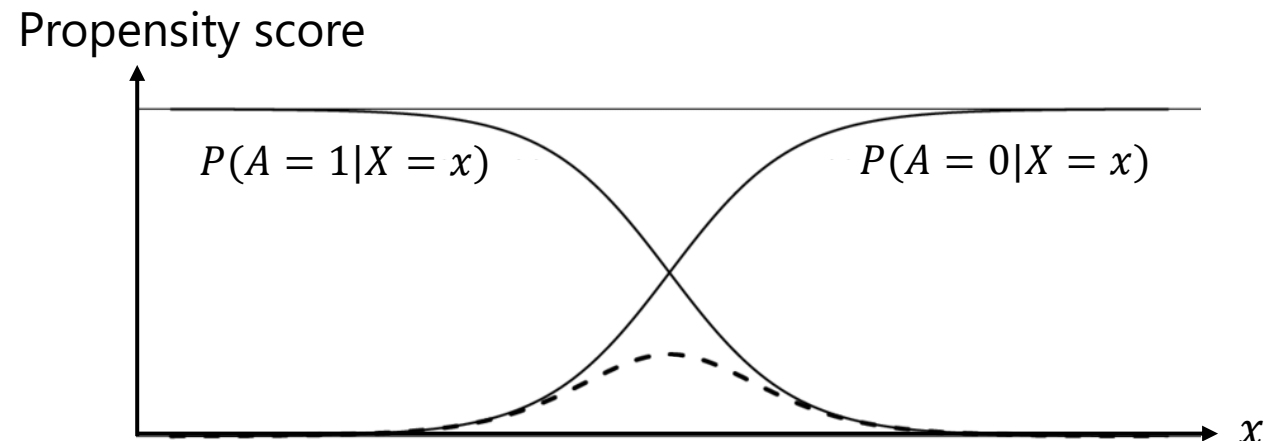
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## Use of overlap weights to emulate randomization

Given a set of covariates  $X = x$ , the corresponding overlap weight  $w(x)$  is defined as follows:

$$w(x) = AP(A = 0|X = x) + (1 - A)P(A = 1|X = x)$$



Why using overlap weights?

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## Statistical advantages

1. Overlap weights are bounded.
2. If propensity scores are estimated by maximum likelihood with a logistic regression, then equality of covariate means is achieved.
3. The nonparametric estimator for the ATO has minimum variance among all WATE estimators with balancing weights.

*ATO: average treatment effect in the overlap population,  
WATE: weighted average treatment effect*

*Sources: [Li, Morgan, and Zaslavsky \(JASA, 2017\)](#) & [Li, Thomas, and Li \(AJE, 2018\)](#)*

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## Clinical relevance

1. The overlap-weighted population corresponds to patients in clinical equipoise, whose covariates could appear with high probability in any arm.
2. The ATO may be more generalizable than other effect measures.

*ATO: average treatment effect in the overlap population*

*Source: [Thomas, Li, and Pencina \(JAMA, 2020\)](#)*

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The statistical estimation procedure involves **4 steps**.

In what follows, we assume proportional hazards, but it can be relaxed.

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**Step 1:** Estimator of the **cause- or event-specific** hazard ratio  $\widehat{HR}_k = \exp(\widehat{\beta}_k)$  for  $k \in \{1,2\}$ , with  $\widehat{\beta}_k$  defined as the solution of a weighted version of the Cox score equation

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**Step 4:** Estimator of the **cause- or event-specific** risk difference function  $\widehat{RD}_k$  for  $k \in \{1,2\}$

What did we learn from applying this target trial emulation approach to real-world EHR data?

# Data overview

---

## 1. Data source



Research Patient Data Registry at an academic healthcare system on the US East Coast.

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---

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Outpatient prescription orders made between January 1, 2010, and January 31, 2020.

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## 1. Data source



Research Patient Data Registry at an academic healthcare system on the US East Coast.

## 2. Study period



Outpatient prescription orders made between January 1, 2010, and January 31, 2020.

## 3. Cohort size and arm split



25,507 hypertensive patients aged 50+

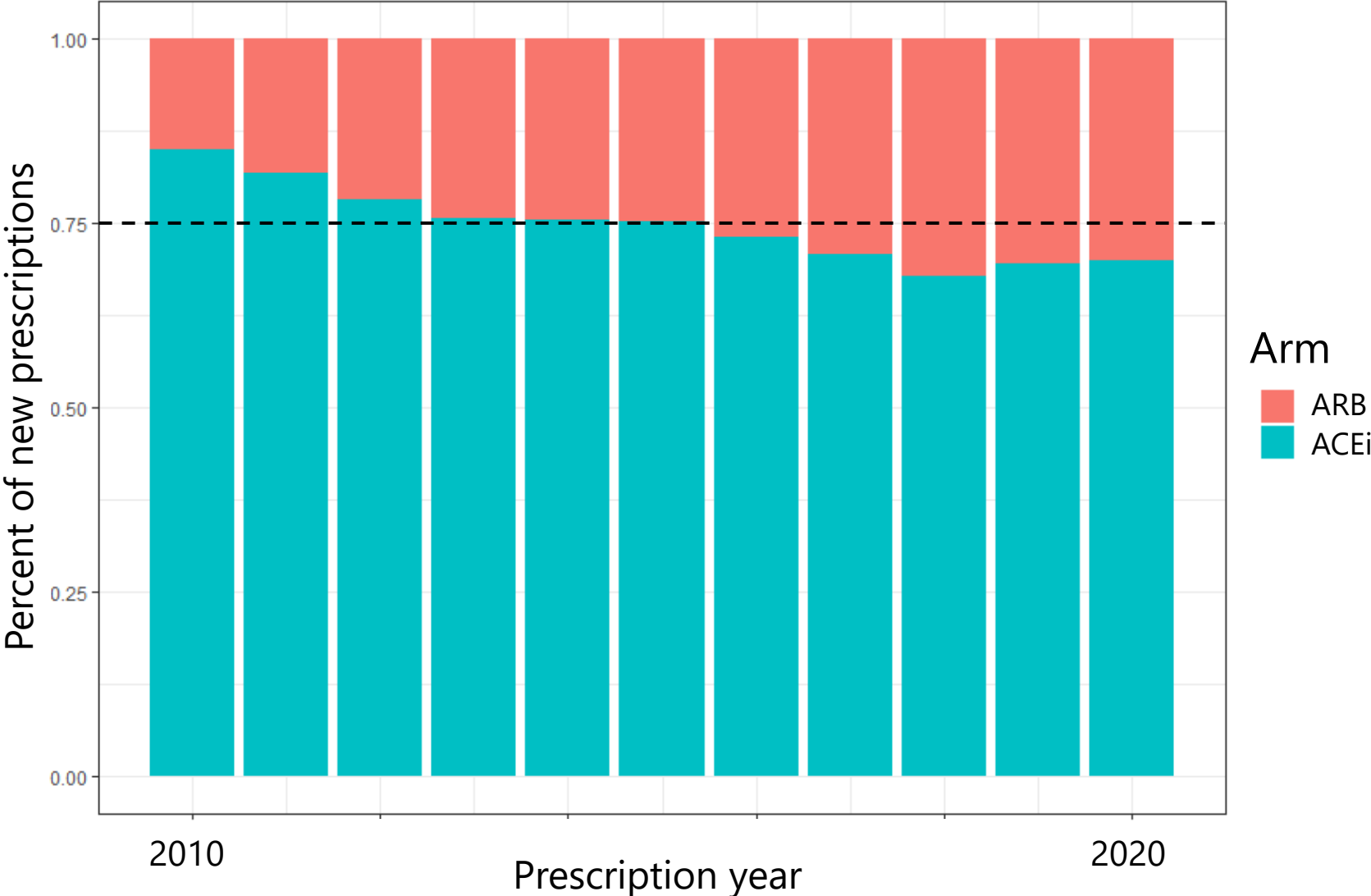


Uneven split between original arms

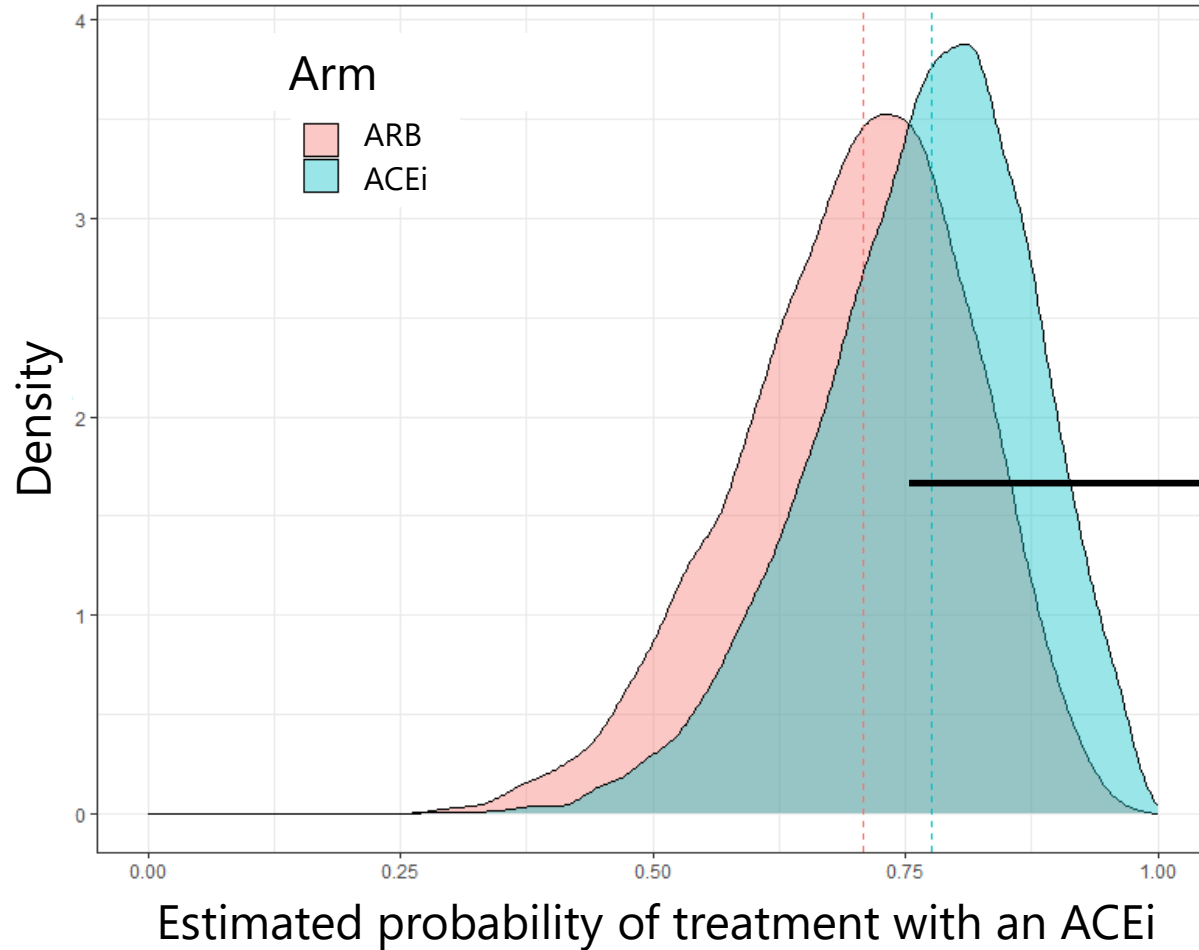
ARB initiators  
**25.2%**

ACEi initiators  
**74.8%**

# Temporal patterns of ACEi/ARB drug prescriptions

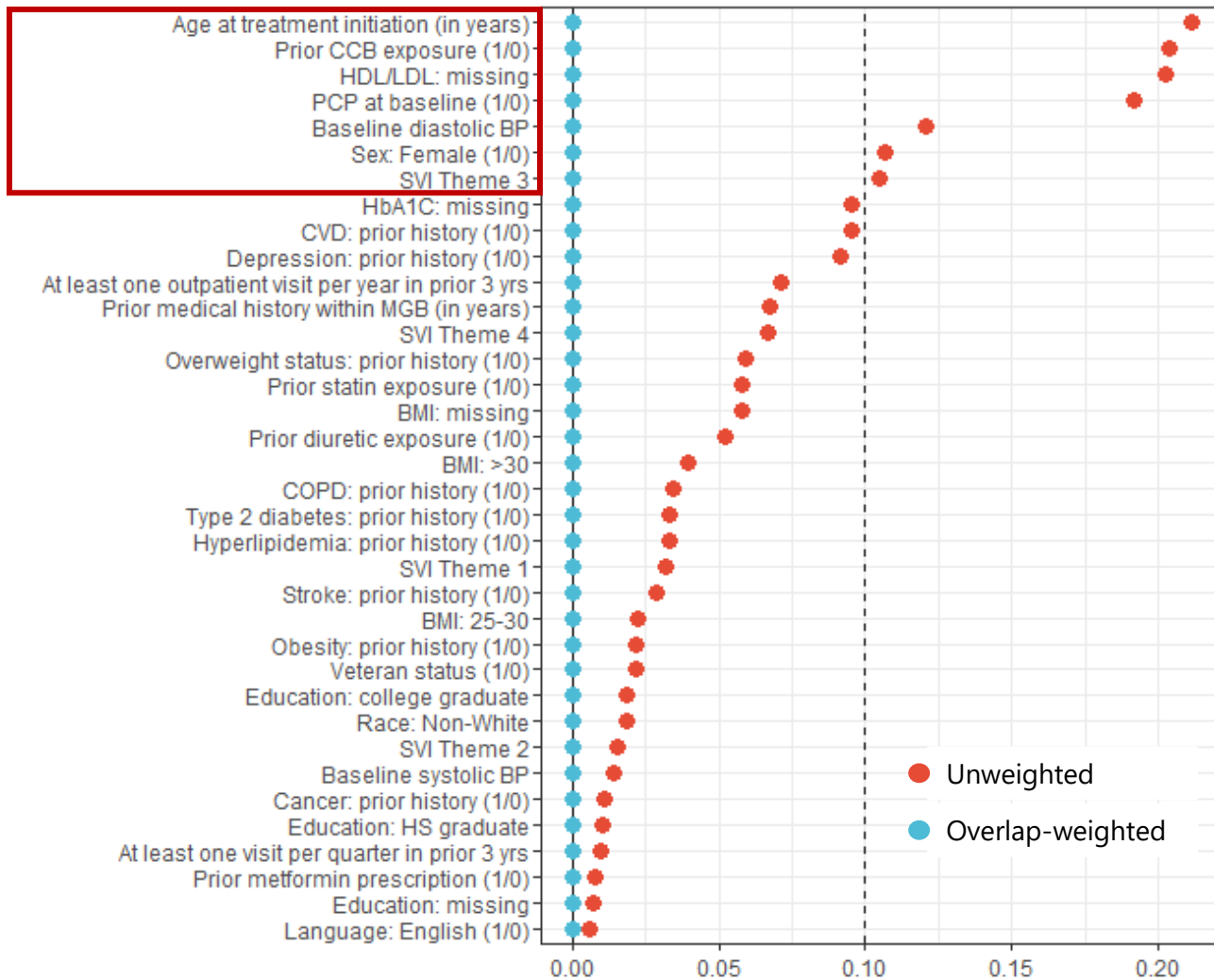


# Assessment of overlap between arms



**Large overlap** between the two arms, enabling us to proceed with the target trial internally

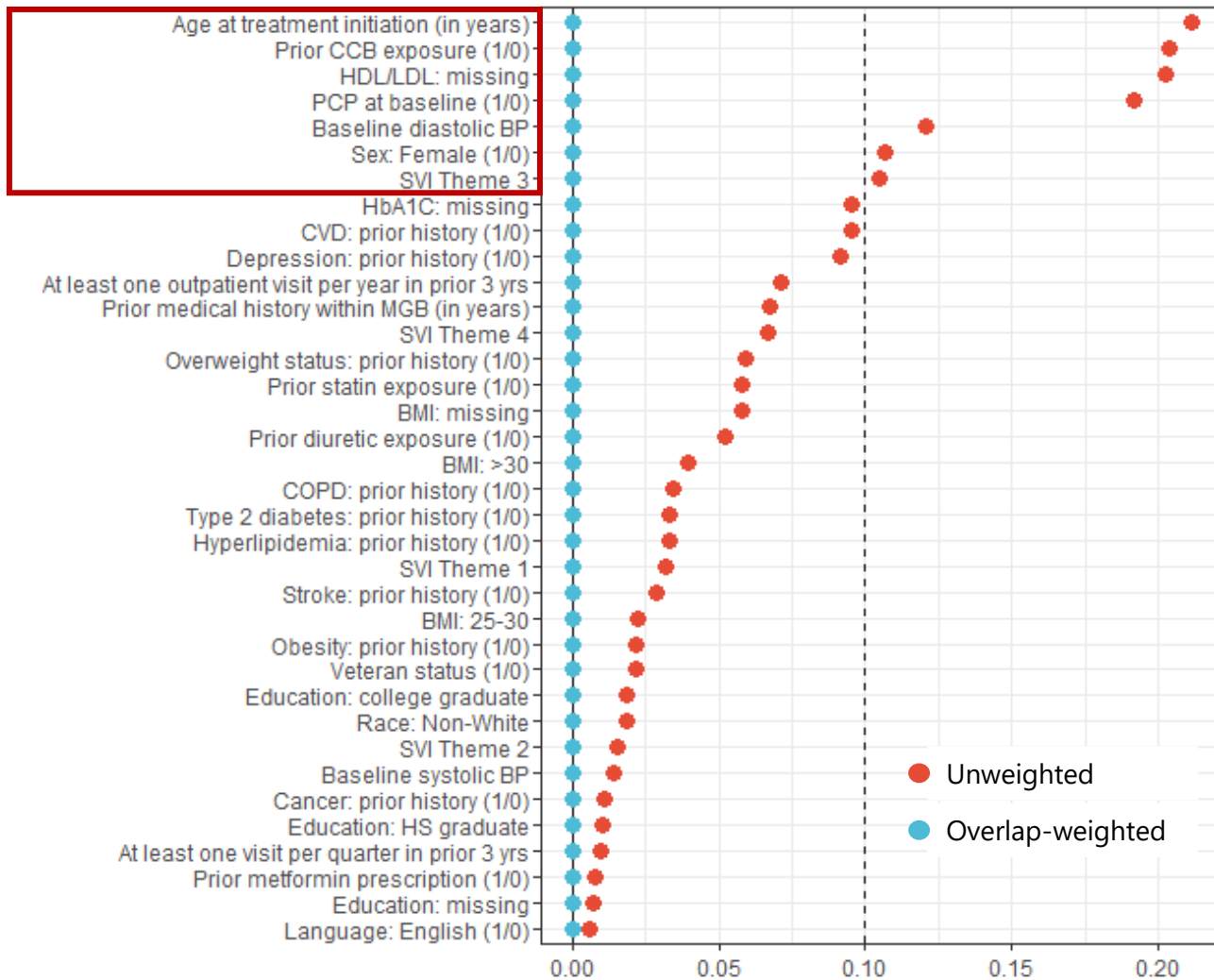
# Assessment of covariate balance



Absolute standardized mean differences

1. Main **differences before weighting**: age, prior exposure to calcium channel blockers (CCB), presence of a primary care physician (PCP), etc.

# Assessment of covariate balance



Absolute standardized mean differences

1. Main **differences before weighting**: age, prior exposure to calcium channel blockers (CCB), presence of a primary care physician (PCP), etc.
2. Elimination of measured confounding bias **after weighting** the contribution of each patient.

How do the two arms compare after balancing and accounting for competing death?

**First metric:** hazard ratio (HR), time-independent

HR < 1: ACEi better than ARB initiation

HR = 1: no difference

**HR > 1: ACEi worse than ARB initiation**

# Estimated hazard ratios suggest a detrimental effect of ACEi initiation w.r.t. MCI/dementia onset, relative to ARB initiation

---

Event type	Hazard Ratio
MCI/dementia onset	HR = 1.10 95% CI = [1.01 – 1.21]

HR < 1: ACEi better than ARB initiation

HR = 1: no difference

**HR > 1: ACEi worse than ARB initiation**

# Estimated hazard ratios suggest no difference between ACEi and ARB initiation w.r.t. competing death

Event type	Hazard Ratio
<b>Dementia onset</b>	<b>HR = 1.10</b> 95% CI = [1.01 – 1.21]
Death before dementia	HR = 1.05 95% CI = [0.94 – 1.16]

HR < 1: ACEi better than ARB initiation

HR = 1: no difference

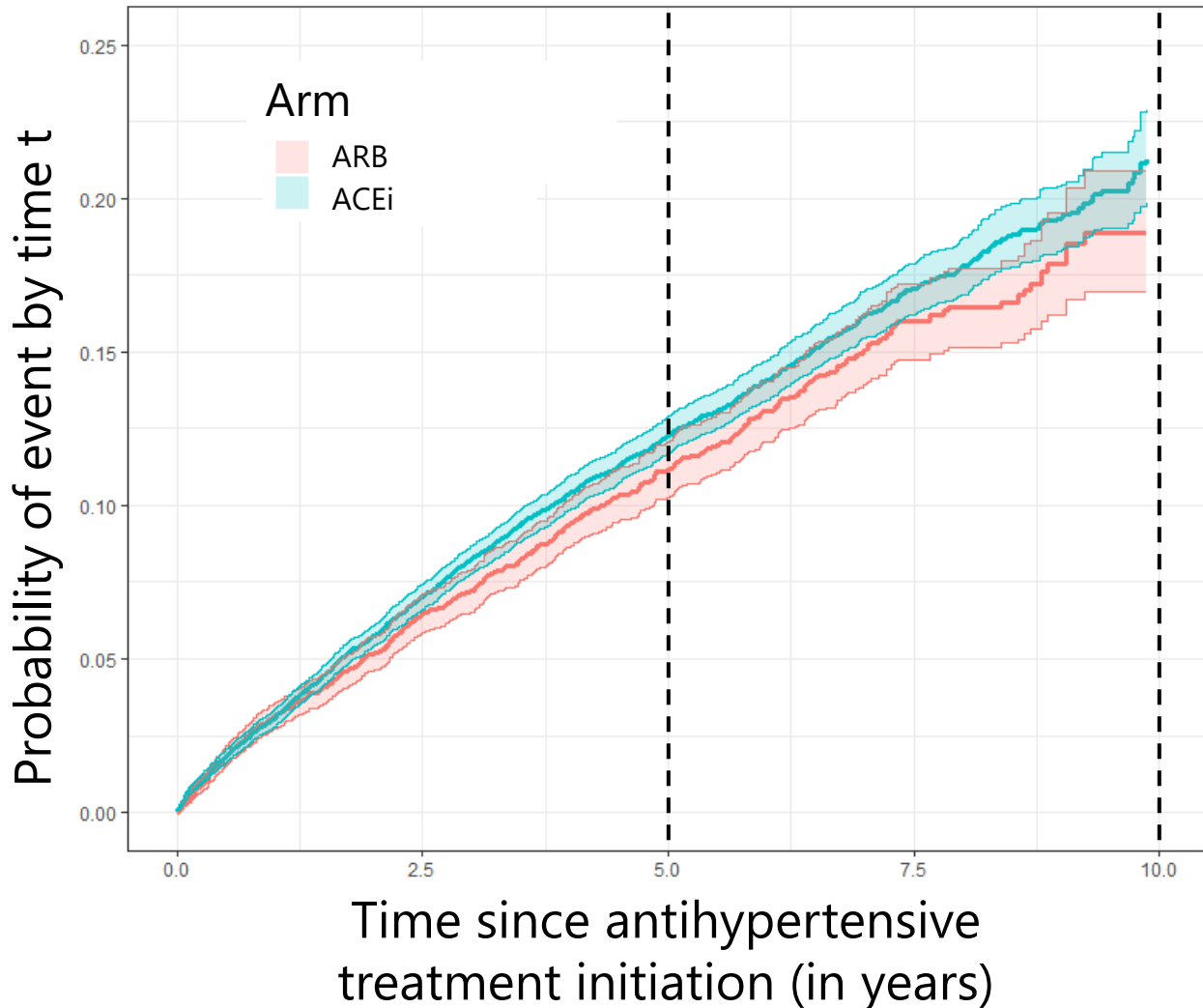
**HR > 1: ACEi worse than ARB initiation**

**Second metric:** cumulative risk, time-dependent

Probability of an event of a certain type  
occurring by time  $t$

# 1pp higher 5-year risk of MCI/dementia onset among ACEi vs. ARB initiators

Risk of MCI/dementia onset



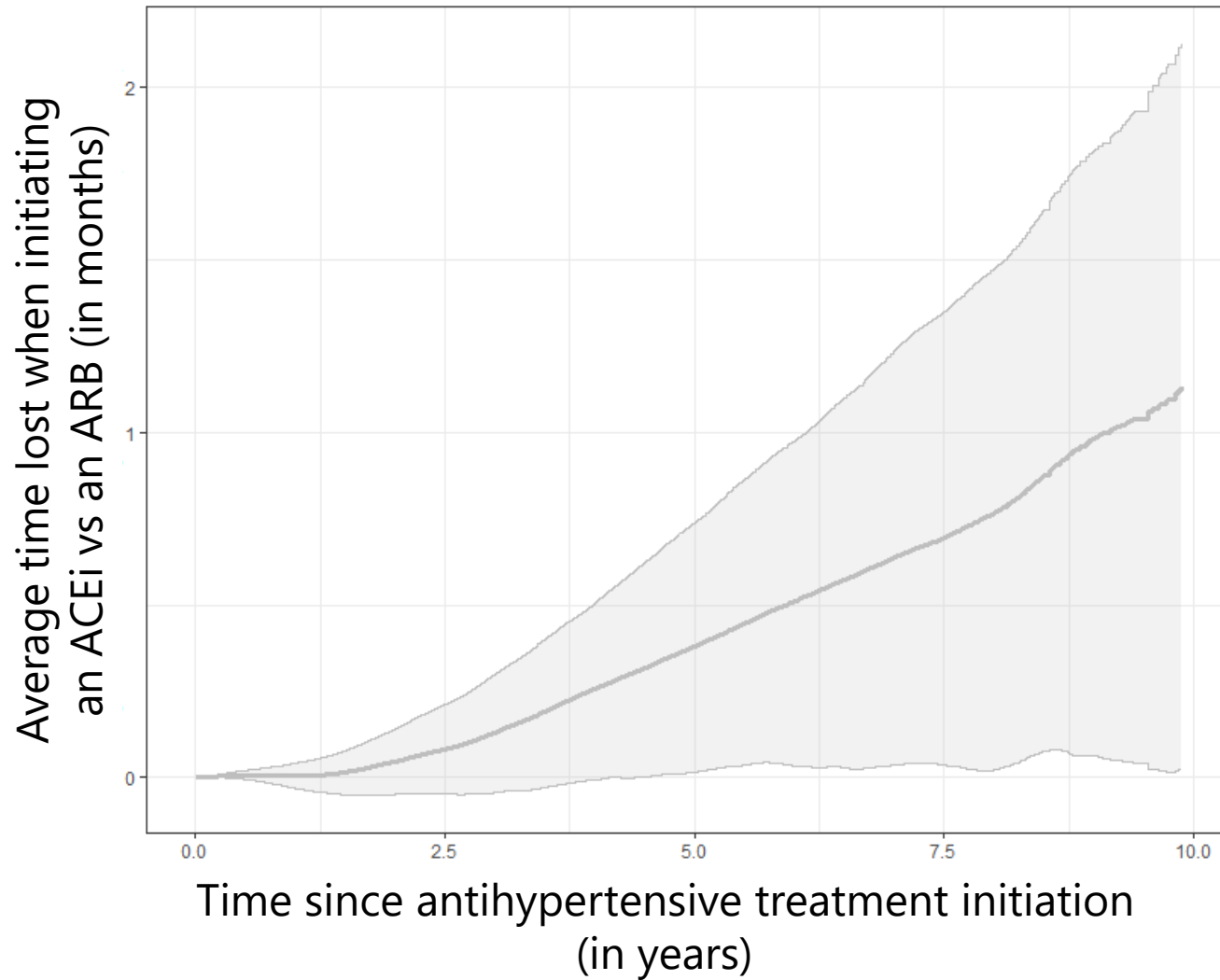
When not assuming proportional hazards, risk differences were estimated to:

Year 5  
**1.12pp** (0.048 to 2.19)

Year 10  
**2.36pp** (-0.45 to 4.68)

*\*95% CIs obtained via Bayesian bootstrap (500 iterations)*

# Up to 4 months of MCI/dementia-free time lost under ACEi vs. ARB initiation



## Clinical impact

Estimated risk differences can be translated into an average dementia-free time loss.

- Overall: up to 2 months
- Among men: up to 4 months

# Potential public health implications & work needed

---

## **Small effect at the individual level**

Estimated loss of <6 MCI/dementia-free months, over a 10-year period, among people initiating an ACEi vs an ARB

## **Potentially important implications at the population level**

55 million US adults prescribed an ACEi for chronic hypertension

⇒ Replications in larger EHR systems and mechanistic studies are needed to stress-test the results of this single-center target trial emulation.

# Limitations

---

1. Potential for residual confounding (e.g., lifestyle factors).
2. Absence of linkage to claims data to check medication dispensing and adherence.
3. Measurement errors affecting the definition and timing of dementia outcomes.
4. Lack of representativity of the considered patient population and implications for generalizability outside the Mass General Brigham healthcare system.

# Next steps

---

1. Identify subgroups of patients least/most affected.
2. Conduct a per-protocol analysis in EHR linked with claims data.
3. Understand the potential mediating role played by blood pressure control.
4. Implement multi-arm target trials by drug class and brain penetrance.
5. Contrast with other inferential strategies (e.g., physician prescribing preferences as instrumental variables).
6. Develop a framework to federate target trial emulations across healthcare systems and extend to other drug classes.

# Acknowledgements

## US

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Max Sunog (MGB)



## UK, Imperial

Ioanna Tzoulaki

Youssef Hbid

Bowen Su

## Israel, Haifa

Bella Lagun



**Thanks for your attention!  
Any questions?**

**Feel free to reach out:  
[marie.x.charpignon@kp.org](mailto:marie.x.charpignon@kp.org)**

# Appendix

# Target trial specification & emulation

1. Eligibility criteria
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The causal contrast is defined based on the single-world ( $a = 0$  vs.  $a = 1$ ) causal quantities of interest, i.e., the **cumulative risk  $R$**  of experiencing dementia onset ( $k = 1$ ) or dying before ( $k = 2$ ).

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**H1: Conditional exchangeability**

**H2: Positivity**

**H3: Conditionally independent censoring**

The potential right-censoring times  $C^a$  are conditionally independent of the potential outcome pairs, given baseline covariates  $X$ . I.e., for any arm  $a$ :

$$C^a \perp (U^a, F^a) \mid X$$

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1. No interference: The potential outcomes of any given patient do not vary with the treatments assigned to other patients.

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**H4: Stable Unit Treatment Value Assumption (SUTVA)**

1. No interference: The potential outcomes of any given patient do not vary with the treatments assigned to other patients.
2. Consistency: For each patient, there are no different versions of each treatment that lead to different potential outcomes.

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For  $k \in \{1,2\}$ ,  $\widehat{\beta}_k$  is defined as the solution of a weighted version of the Cox score equation:

$$\sum_{i=1}^n \widehat{w}_i \mathbb{I}(E_i = k) \left( A_i - \frac{\sum_{j=1}^n \widehat{w}_j A_j \exp(\beta_k A_j) \mathbb{I}(T_j \geq T_i)}{\sum_{j=1}^n \widehat{w}_j \exp(\beta_k A_j) \mathbb{I}(T_j \geq T_i)} \right) = 0$$

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↑  
Follow-up times

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Estimator of the log hazard ratio  $\widehat{\beta}_k$  from Step 1

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For  $k \in \{1,2\}$ , it is given by:

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Plug-in estimator of the survival function  $S^a$

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**Step 4:** Estimator of the **cause- or event-specific** risk difference function  $\widehat{RD}_k$

For  $k \in \{1,2\}$ , it is given by:

$$\forall t > 0: \widehat{RD}_k(t) = \widehat{R}_k^1(t) - \widehat{R}_k^0(t)$$